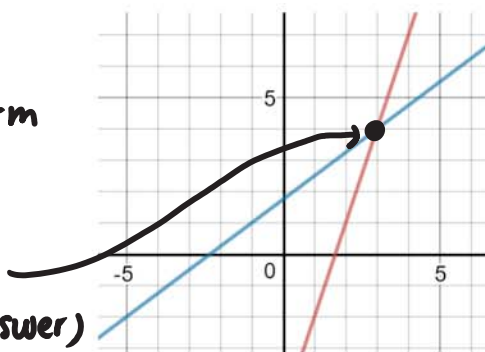


Chapter 7 Final Review

Solving Systems of Linear Equations

A: Graphically

- rewrite each equation in slope-intercept form (if necessary)
- find the intersection point (that's your answer)



B. Substitution

$$2x + y = 4 \quad \textcircled{1}$$

$$-3x - 4y = 6 \quad \textcircled{2}$$

- look for a variable with a coefficient of 1 or -1 (easiest to rewrite)

rewrite $\textcircled{1}$ $2x + y = 4$
 $-2x \quad -2x$
 $y = 4 - 2x$ } sub into $\textcircled{2}$

$$-3x - 4(4 - 2x) = 6$$

$$-3x - 16 + 8x = 6$$

$$5x - 16 = 6$$
$$+16 \quad +16$$
$$\frac{5x}{5} = \frac{22}{5}$$

$$x = \frac{22}{5}$$

solve for y

$$y = 4 - 2x$$

$$y = 4 - 2\left(\frac{22}{5}\right)$$

$$y = \frac{4}{1} \times \frac{5}{5} - \frac{44}{5}$$

$$y = \frac{20}{5} - \frac{44}{5}$$

$$y = -\frac{24}{5}$$

C. Elimination

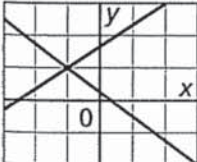
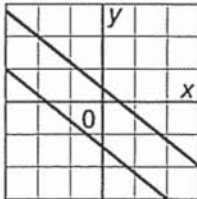
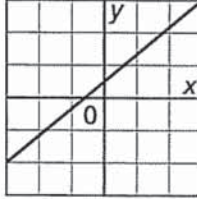
$$4x + 2y = 7$$

$$-2x + 5y = 13$$

- rewrite equations to line up like terms (if necessary)
- choose a variable to eliminate
- multiply equation(s) by necessary factors to make coefficients match.
- add/subtract equations from each other.

Number of Solutions

- do not solve
- rewrite equations in slope-intercept form and compare slopes and y-intercepts

| Possible Solutions for a Linear System | | |
|---|--|---|
| Intersecting Lines | Parallel Lines | Coincident Lines |
| One Solution | No Solution | Infinite Solutions |
|  |  |  |

different slopes

same slope
diff y-intercept

same slope
same y-intercept

Word Problems

- write "let" statements (so you know what your variables represent)
- write 2 equations
- solve (method of choice)
- write a concluding sentence.